

ab initio VB/MM & Interpretation

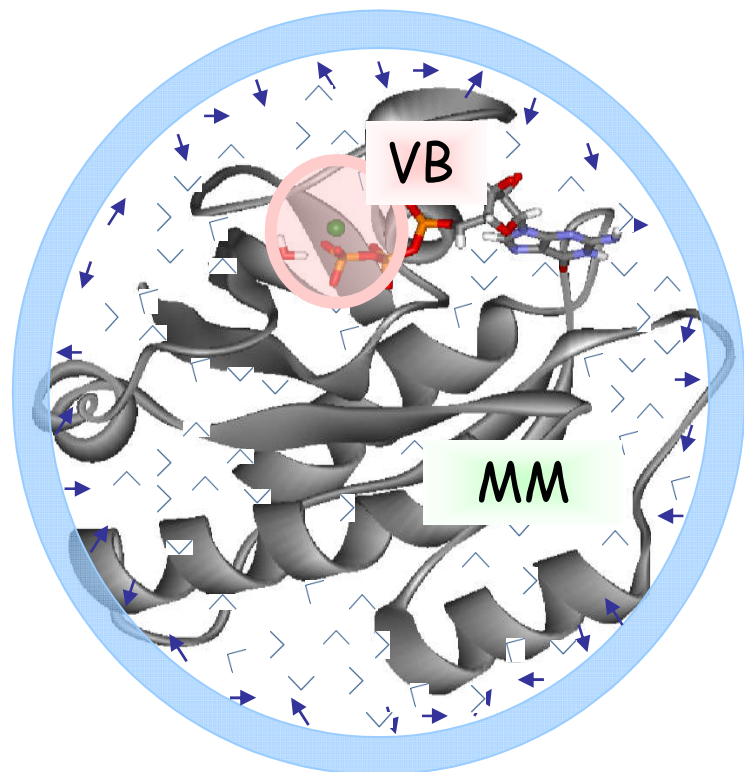
Performance of classical VB Calculations

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Method Development - *ab initio* VB/MM

$$H_{VB/MM} = H(VB) + H(MM) + H(VB/MM)$$



Electrostatic:

- ❖ Mechanical Embedding
- ❖ Electrostatic Embedding
- ❖ Environment polarization

Bonding

Electrostatic

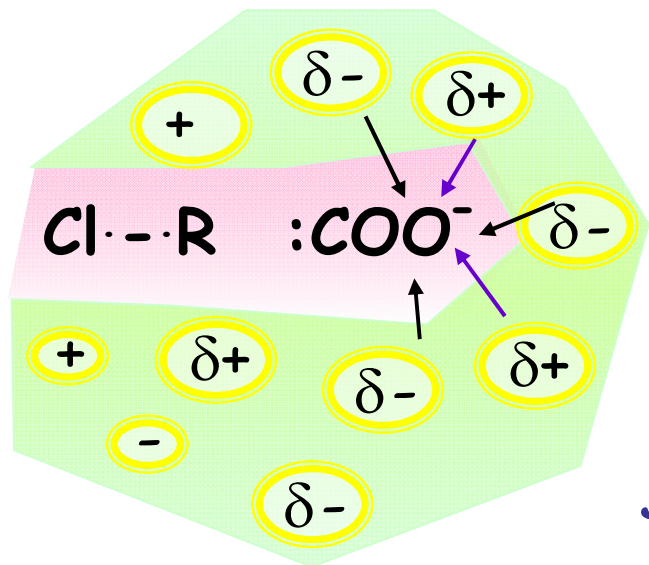
VdW

HOW?

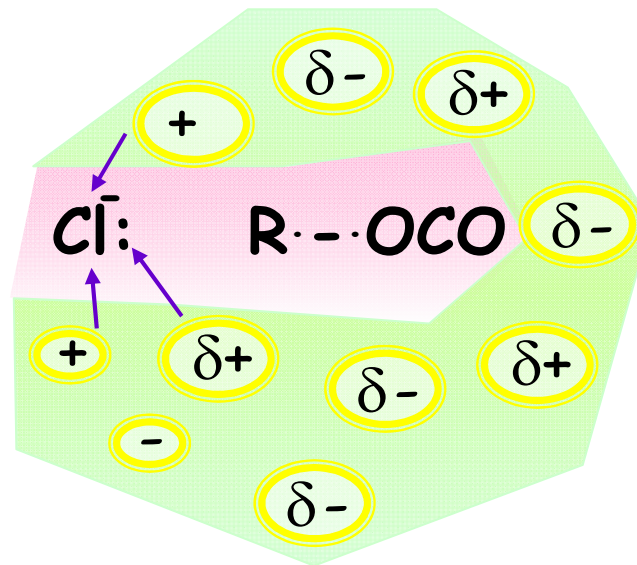
- ✚ Bonding - link atom scheme
- ✚ VdW - classically
- ✚ Electrostatic:
Mechanical embedding each VB structure
→ Wavefunction polarization (electrostatic embedding)

ab initio VB/MM

VB structures - Electron localization



Less



More

Stabilization

$$\Psi_{\text{Total}} = c_R \Psi_R + c_P \Psi_P$$

Mechanical Embedding with each VB structure separately should include most of the wavefunction polarization.

ab initio VB/MM

$$H_{VB/MM} = H(VB) + H(MM) + H(VB / MM)$$

H_{ii} is the diabatic state energy:

$$H_{ii} = H_{ii}(VB) + H_{ii}^{\text{int}} + \left[H(MM) \right]$$


H_{ii}^{int} is calculated classically

How to calculate H_{ij} ?

Assumption: Both overlap S_{ij} and reduced resonance integral, β_{ij} , are invariant to the environment.

$$\beta_{ij}^{\text{gas}} = \beta_{ij}^{\text{env}} \quad S_{ij}^{\text{gas}} = S_{ij}^{\text{env}}$$

$$\beta_{ij} = H_{ij} - \frac{1}{2}(H_{ii} + H_{jj})S_{ij}$$


$$H_{ij} = H_{ij}^0(VB) + \frac{1}{2}(H_{ii}^{\text{int}} + H_{jj}^{\text{int}})S_{ij}$$

*Solve new matrix,
Get new wavefunction*

This formula will serve also in the general case

ab initio VB/MM

New matrix is solved:

$$\begin{pmatrix} H_{11}^0 + H_{11}^{\text{int}} & H_{12}^0 + \frac{1}{2} (H_{11}^{\text{int}} + H_{22}^{\text{int}}) S_{12} \\ H_{21}^0 + \frac{1}{2} (H_{11}^{\text{int}} + H_{22}^{\text{int}}) S_{21} & H_{22}^0 + H_{22}^{\text{int}} \end{pmatrix}$$

New wavefunction, and energy are obtained:

$$E_{\text{total}} = E + H^0(\text{MM})$$

Relax the environment accordingly and repeat

Finally, for the reaction profile:

use potential of mean force (PMF) combined with FEP/US

Anti-catalytic effect of known mutants

	Calculated	Calculated	Observed
	$\Delta\Delta g_{wt \rightarrow mut}^{\ddagger(\text{FEP})}$	$\Delta\Delta g_{wt \rightarrow mut}^{\ddagger(\text{LRA})}$	$\Delta\Delta g_{wt \rightarrow mut}^{\ddagger(\text{obs})}$
wt	0.0	0.0	0.0
W125F	2.4	4.7	≤ 2.3
W175Y	5.4	4.7	≤ 3.0
W175F	0.9	3.2	< 3.0
F172W	0.4	1.6	1.4

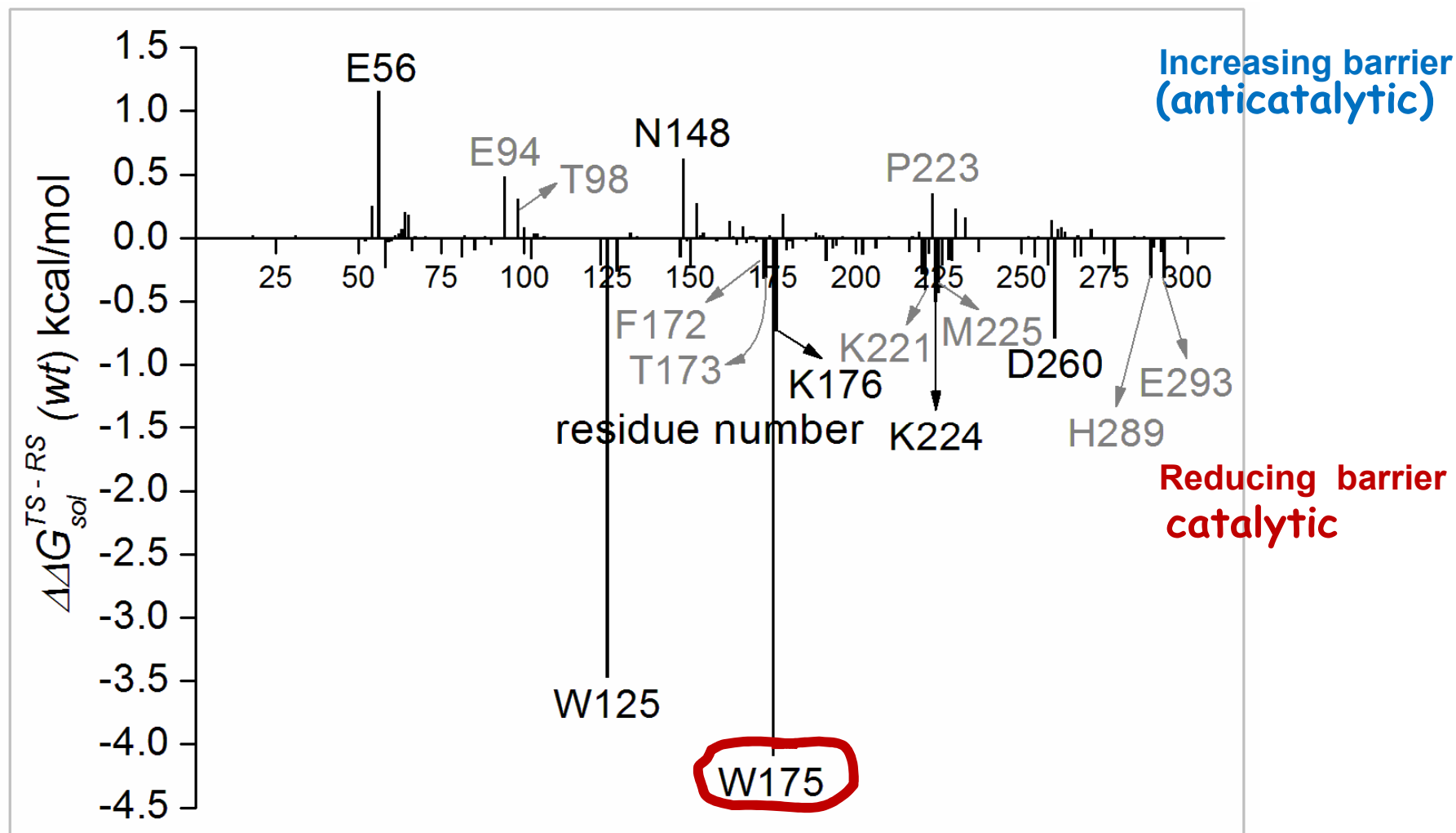
$\epsilon=4$

LRA - Agreement of LRA with experimental trends suggest that electrostatics has a major role in catalysis.

The advantage of LRA is its additivity

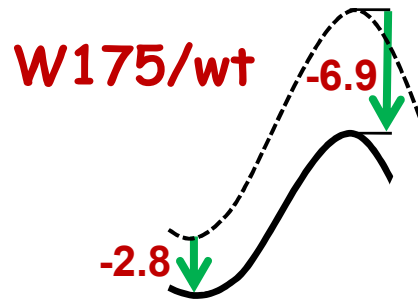
Hot Spots Identification

Contribution of particular residues to differential solvation



VB Interpretation

- Trp 175 is catalytic due to better solvation in the TS



total catalysis = **-4.1** kcal/mol

"catalytic"

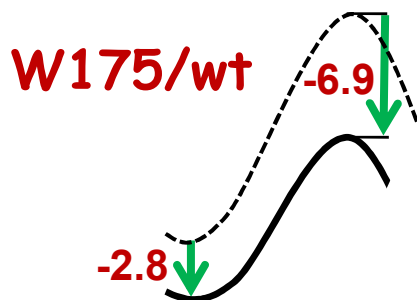
Contribution of particular VB structure.

Total solvation is approximated as sum of weighted VB solvations.

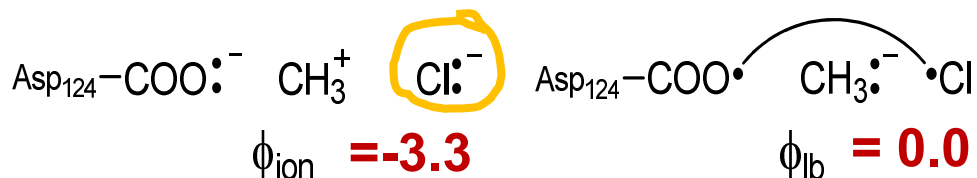
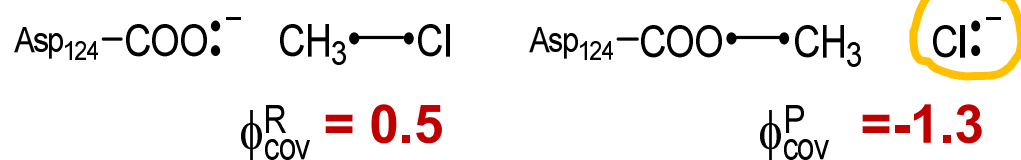
$$\Delta G_{RS,sol} \approx W_{\Phi_{covR}} * \Delta G_{RS,sol,\Phi_{covR}} + W_{\Phi_{covP}} * G_{RS,sol,\Phi_{covP}} + \dots$$

VB Interpretation

- The main contribution to this effect comes from the higher TS stabilization of both Φ_{ion} and Φ_{cov}

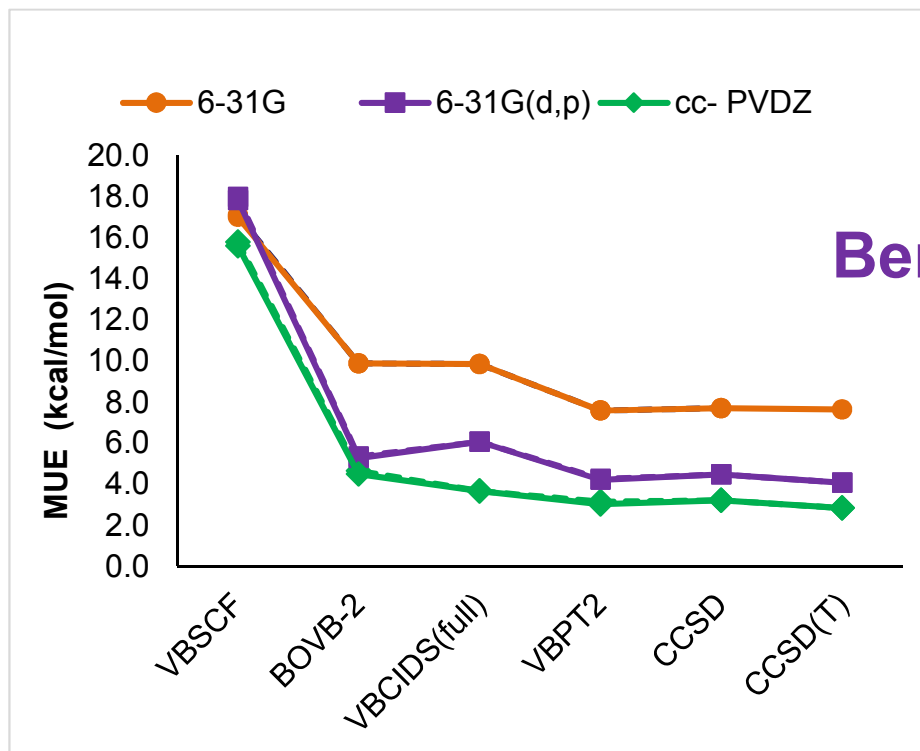


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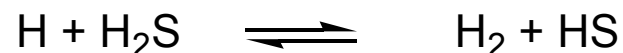
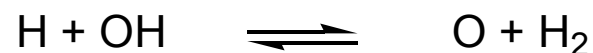
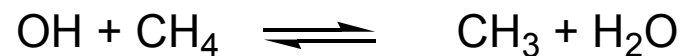
Trp175 is indeed known to stabilize the leaving chloride

Performance of VB calculations



Benchmark of reaction barriers

Hydrogen Transfer Reactions



Truhlar's HTBH6 set of diverse reactions for benchmark calculations of barrier heights for hydrogen transfer reactions

Unpublished results

Maybe create a benchmark for strongly correlated systems that includes e.g. molecules people in this workshop have been testing – or something else...?