



A three-level model for two-photon absorption A combined VB and ELF approach?

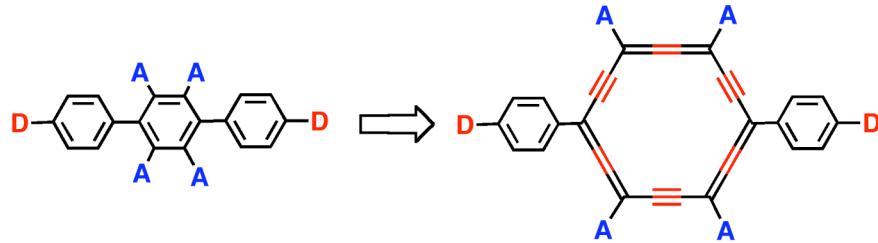
D. Kandaskalov, M. Vilhelmsen, C. Lepetit, R. Chauvin

*Laboratoire de Chimie de Coordination - UPR 8241 CNRS
Toulouse - France*

Paris 2012 Workshop on *ab initio* Valence Bond theory

Experimental targets

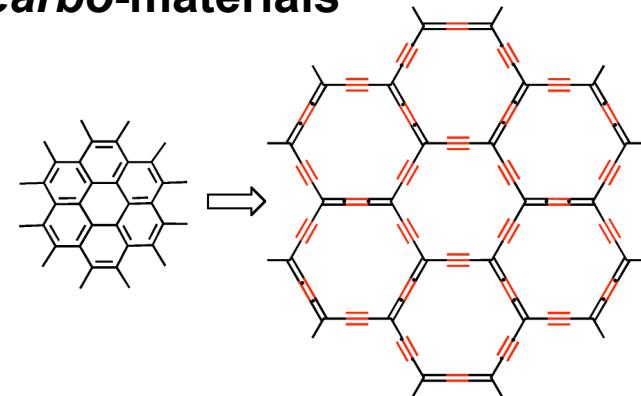
- Carbo-chromophores and carbo-materials



Donor = OR, NR₂,... **Acceptor** = F, CF₃, COOR,....

Quadrupolar carbo-benzenes

⇒ Nonlinear optical properties



Carbo-graphene

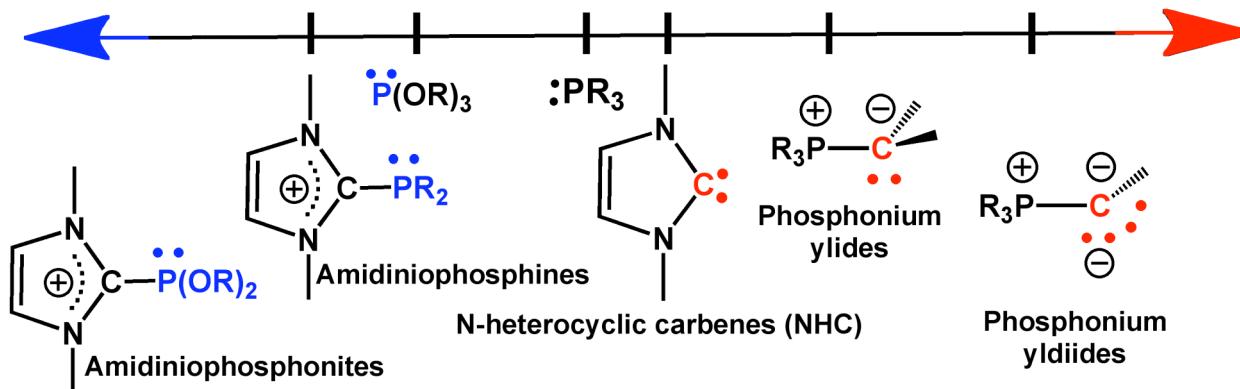
⇒ Optical, mechanical, conducting properties

Valérie Maraval

- Ligands for extending the scale of electron donation ⇒ Catalysis

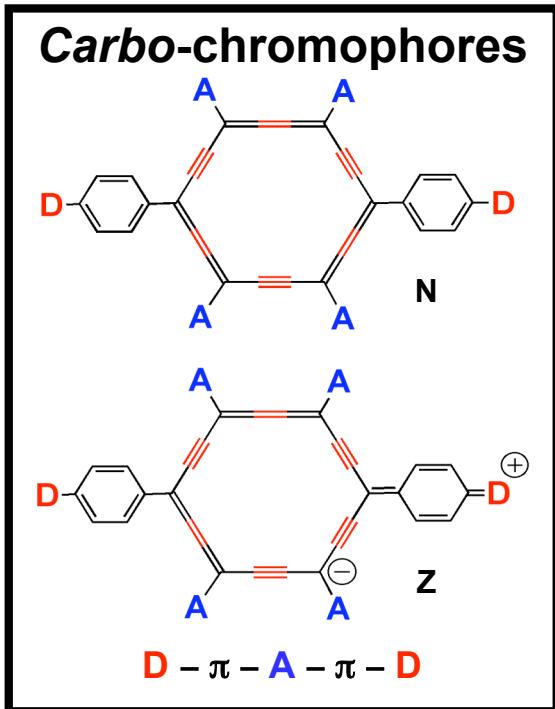
Electron-poor

Electron-rich

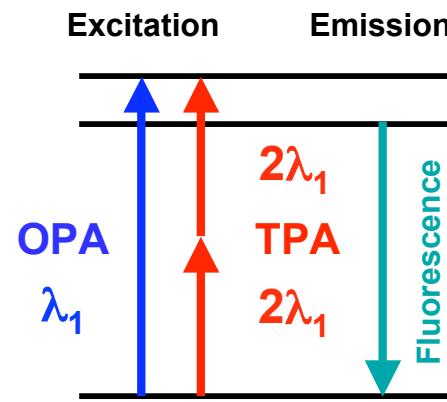
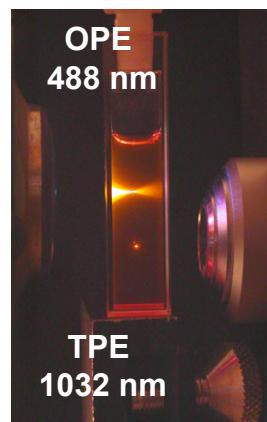


Yves Canac

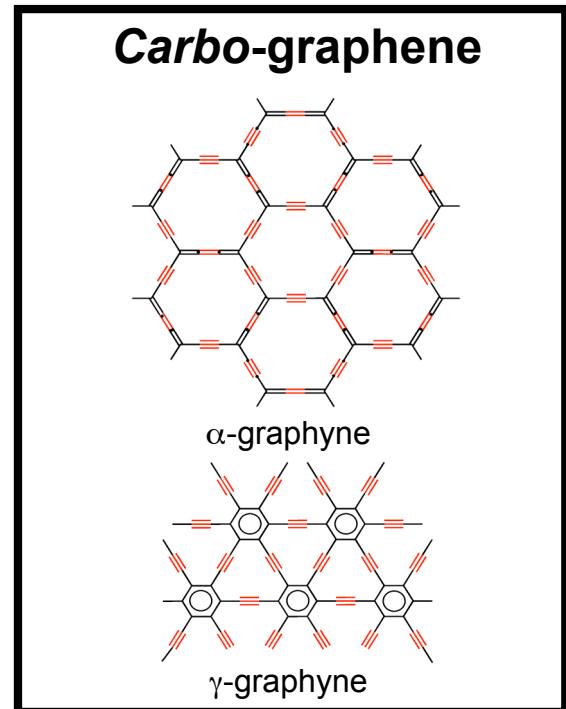
Two-photon absorption (TPA)



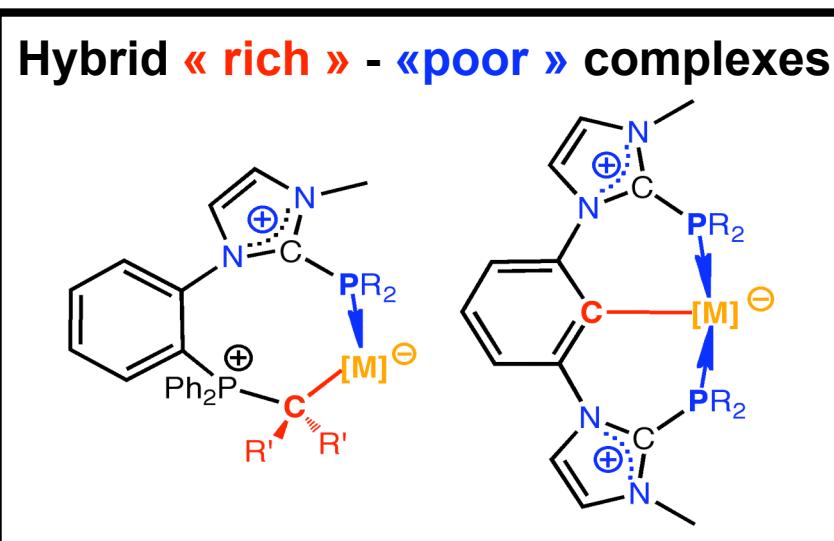
Confined excitation, NIR radiation
⇒ biomedical applications



$$\Rightarrow \text{VB model : } \sigma_{\text{TPA}} \propto N, Z$$



Screening



Understanding

TPA cross-section calculation

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$$\mu = \mu_0 + \alpha E + \beta E^2 + \gamma E^3 + \dots$$

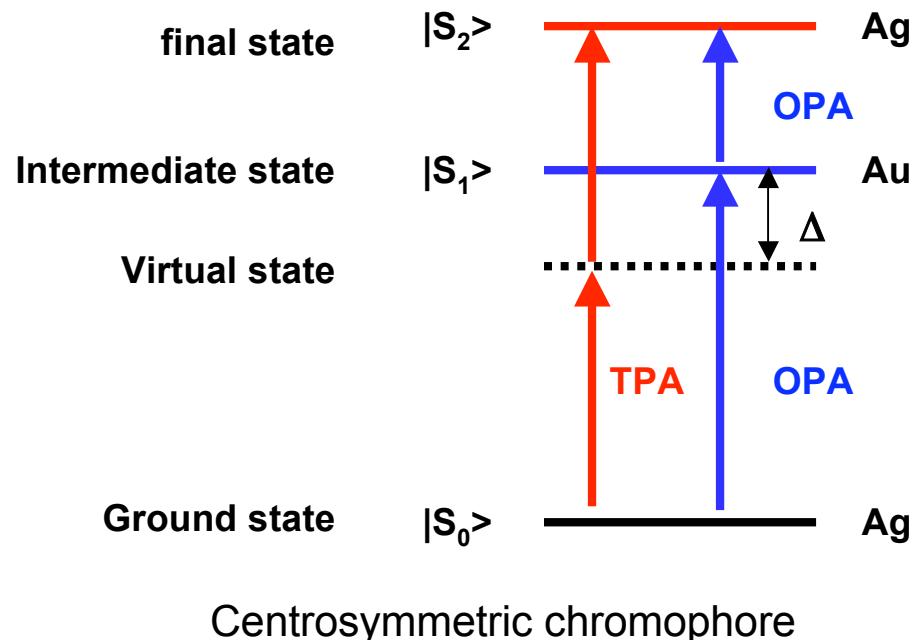
$\sigma_{TPA} \propto$ third-order nonlinear optical response γ

Sum-over-state approach

$$\delta_{TPA} = \sum_{\alpha\beta} [F \times S_{\alpha\alpha} S_{\beta\beta}^* + G \times S_{\alpha\beta} S_{\alpha\beta}^* + H \times S_{\alpha\beta} S_{\beta\alpha}^*] \quad S_{\alpha\beta} = \sum_i \left[\frac{\langle 0 | \mu^\alpha | i \rangle \langle i | \mu^\beta | f \rangle}{\omega_i - \omega_f / 2} + \frac{\langle 0 | \mu^\beta | i \rangle \langle i | \mu^\alpha | f \rangle}{\omega_i - \omega_f / 2} \right]$$

⇒ Excited states

Three-level model



$$\sigma_{TPA} \propto \frac{\mu_{01}^2 \mu_{12}^2}{(2E_{01} - E_{02})^2 \Gamma}$$

$$\boxed{\sigma_{TPA} \propto \frac{\mu_{01}^2 \mu_{12}^2}{\Delta^2}}$$

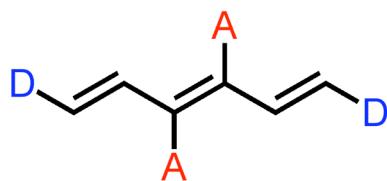
Three-form three-state VB model

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Centrosymmetric chromophore

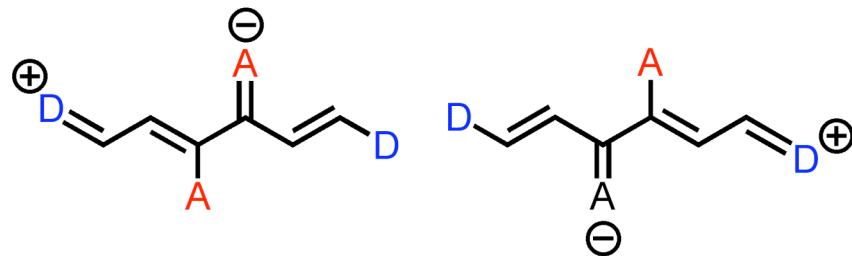
VB structures

Covalent form (N)

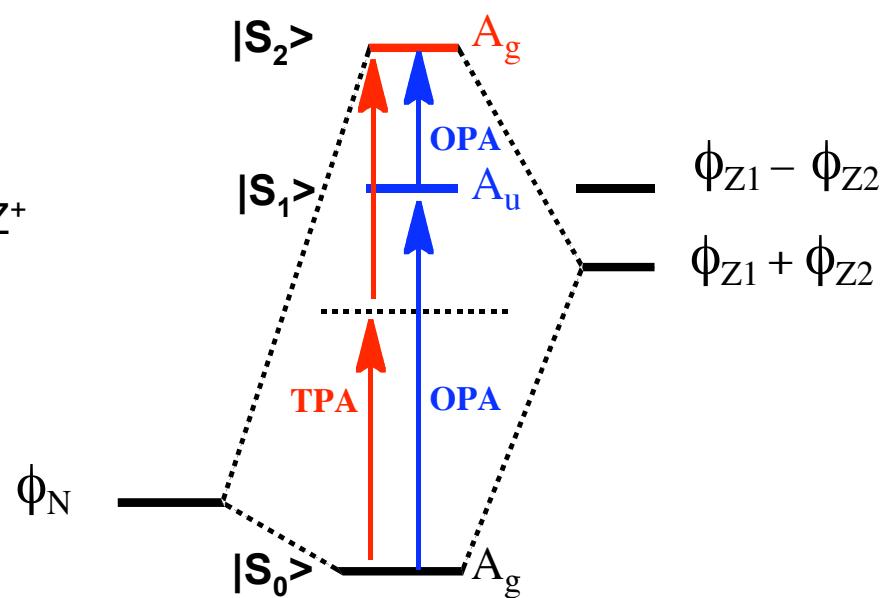


$$MIX = N - Z^+$$

Zwitterionic forms (Z_1, Z_2)



VB mixing diagram

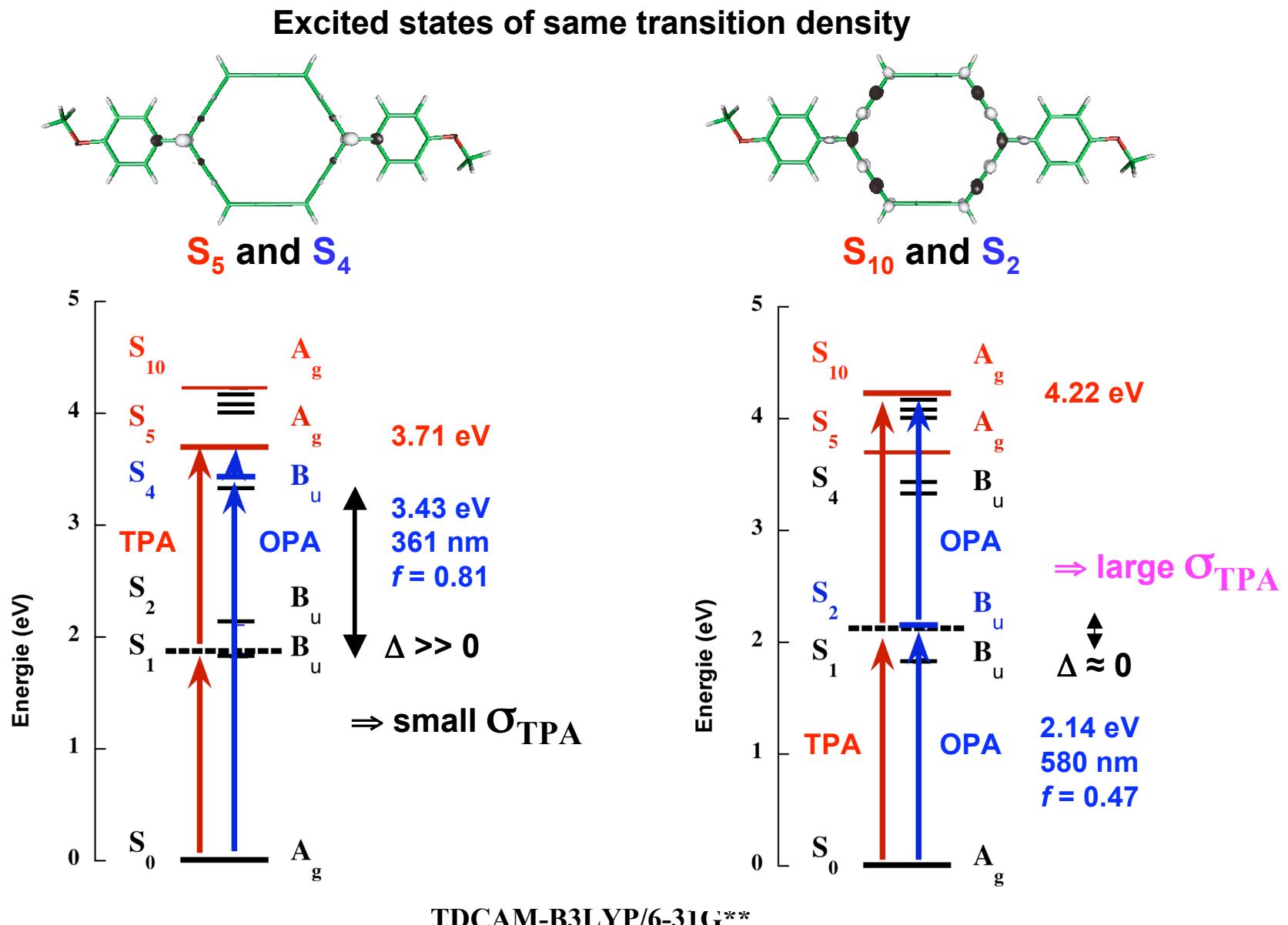


$$\sigma_{TPA} \propto \frac{3\mu_z^4}{4t^2\Gamma} \frac{(1 - MIX^2)^2}{MIX^2}$$

Optimal TPA efficiency : $MIX = 0$

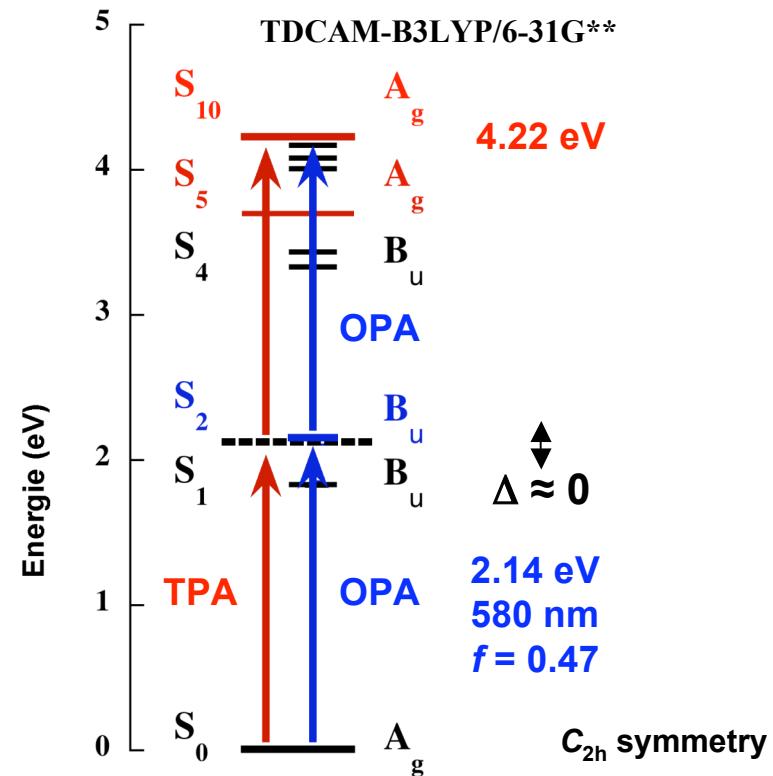
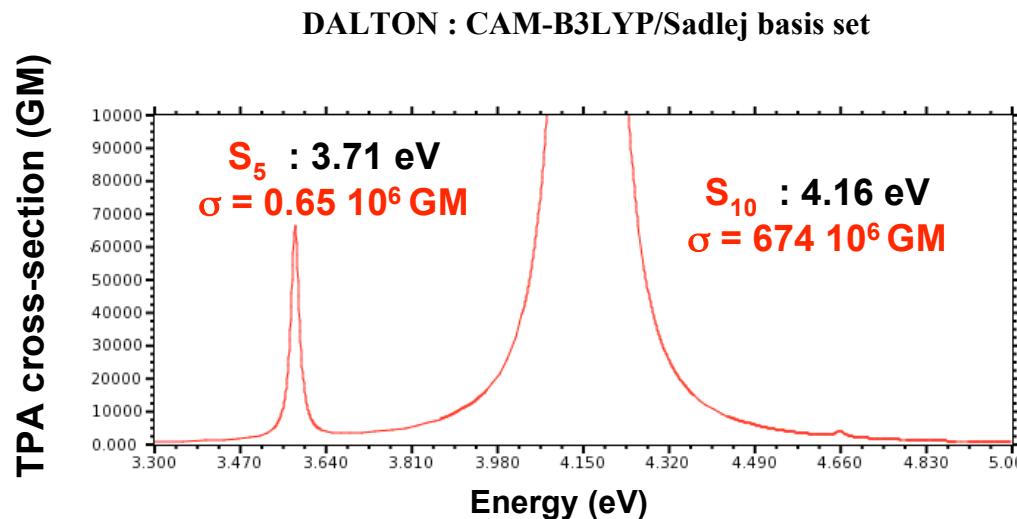
M. Blanchard-Desce *et al.* *J. Chem. Phys.* **2000**, *113*, 3951.

Essential states of *p*-dianisyl-carbo-benzene

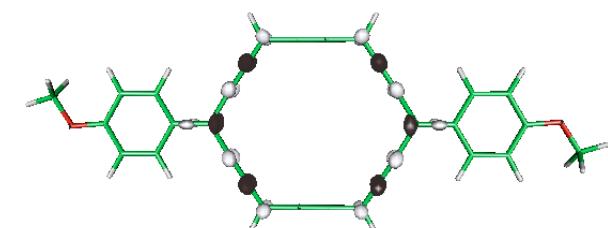
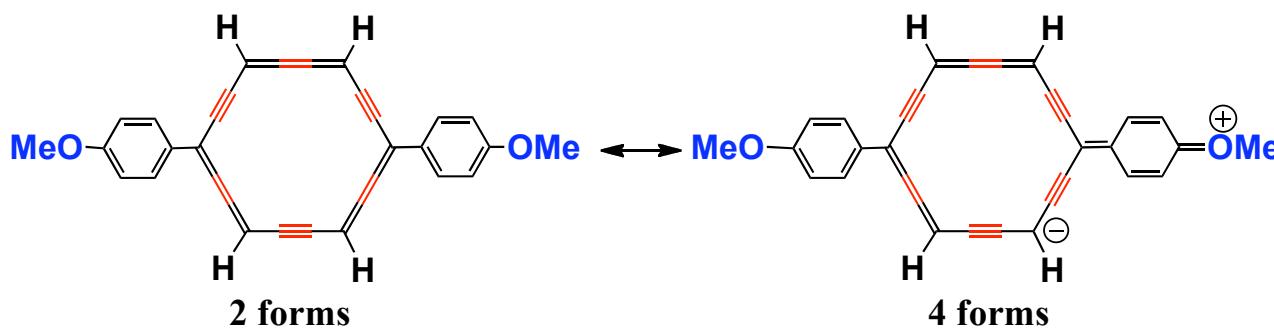


TPA efficiency of *p*-dianisyl-carbo-benzene

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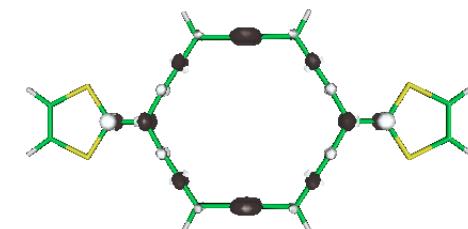
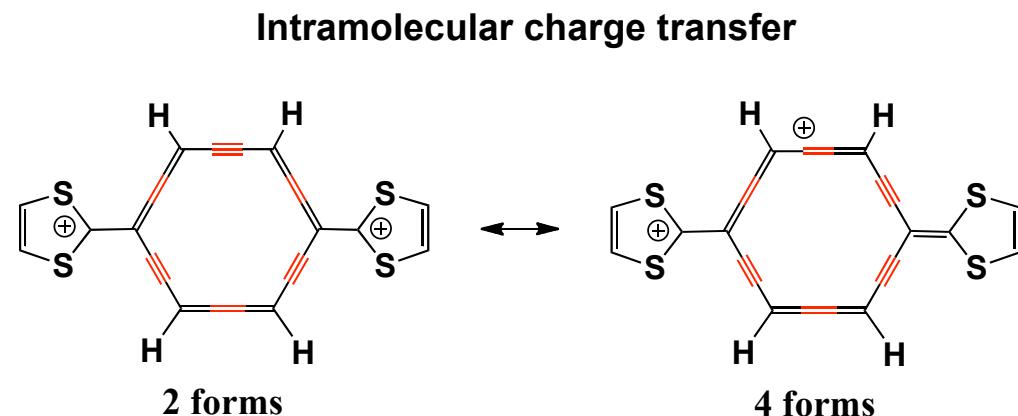
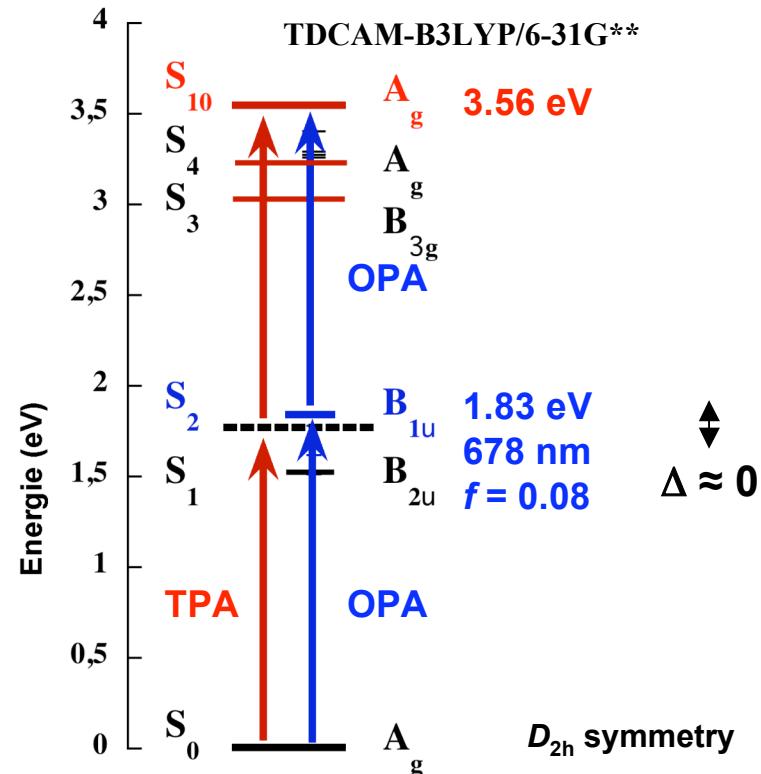
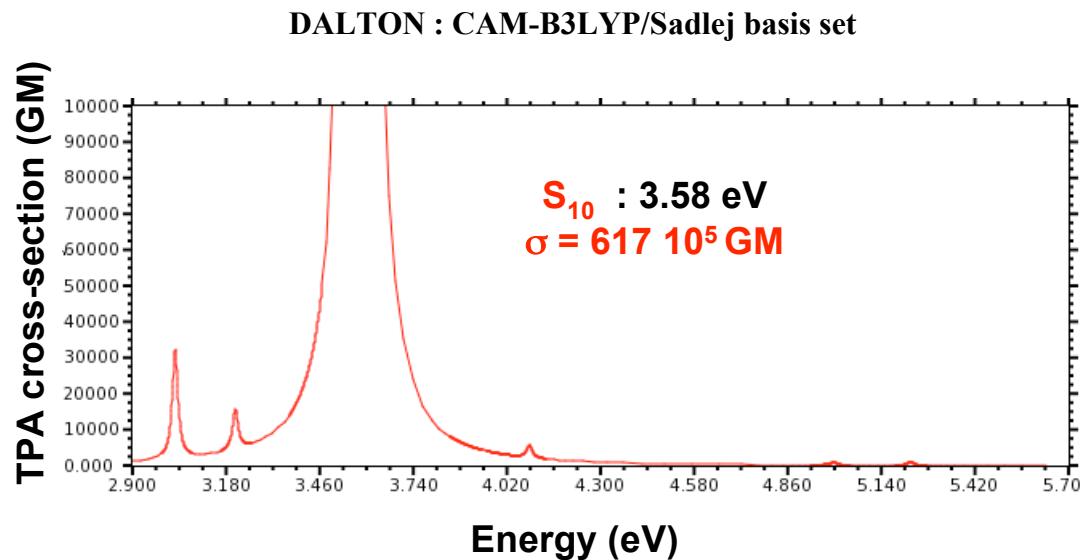
Intramolecular charge transfer



Larger TPA cross-sections : \Rightarrow Accepting side groups on the macrocycle

p-dithiafulvene-carbo-benzene dication

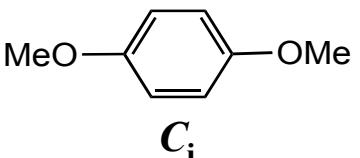
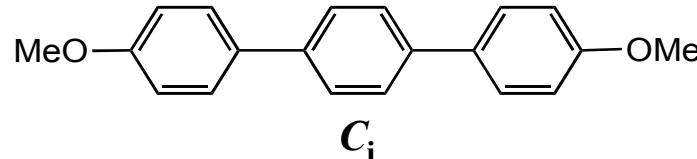
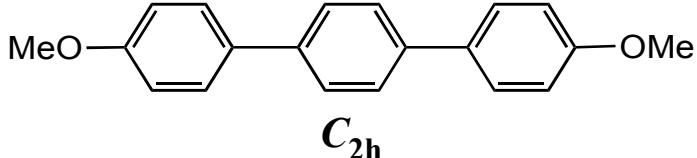
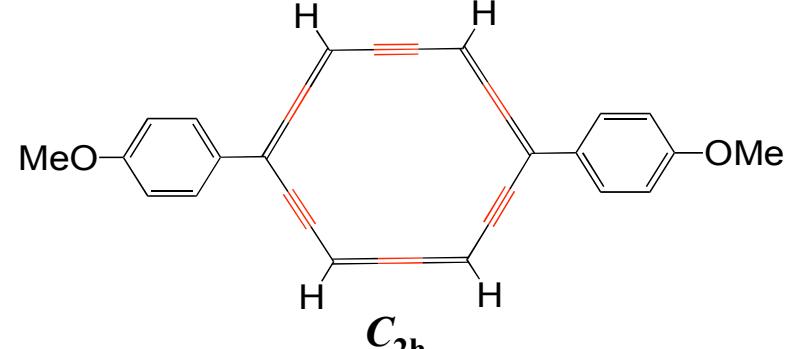
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Towards larger TPA cross-sections :

- ⇒ Donor substituents on the macrocycle
- ⇒ Accepting groups on dithiafulvenes

Carbo-mer effect on TPA efficiency

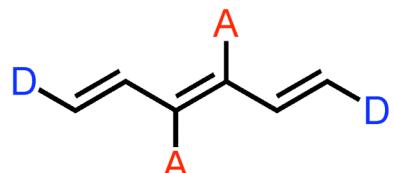
| | Excited state symmetry | E (eV) | $\sigma_{\text{TPA}}(\text{GM})$ |
|---|------------------------|--------|----------------------------------|
|  C_i | A_g | 5.23 | 14.1 |
|  C_i | A_g | 4.99 | 20.8 |
| | A_g | 5.33 | 1940 |
| | A_g | 5.35 | 88.3 |
|  C_{2h} | A_g | 4.77 | 38.4 |
| | A_g | 5.11 | 3180 |
|  C_{2h} | A_g | 3.58 | $647 \cdot 10^3$ |
| | A_g | 4.16 | $674 \cdot 10^6$ |
| CAM-B3LYP/Sadlej basis set | | | $\downarrow \times 2 \cdot 10^5$ |

Three-form three-state VB model for TPA

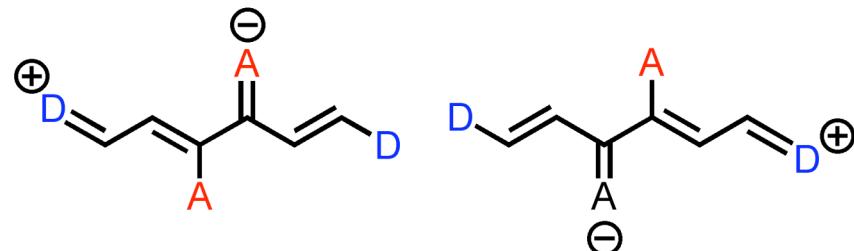
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Transition densities \Rightarrow VB structures

Covalent form (N)



Zwitterionic forms (Z_1, Z_2)



$$\sigma_{TPA} \propto \frac{3\mu_z^4}{4t^2\Gamma} \frac{(1 - MIX^2)^2}{MIX^2}$$

$$MIX = N - Z^+$$

Most suitable weights ?

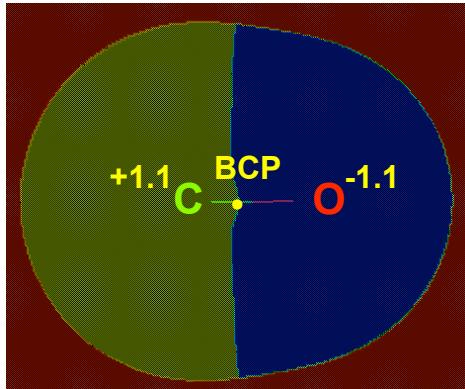
- VB weights ?
- Natural Resonance Theory ?
- ELF topological analysis ?
- *ELF + EDF* ?
-

⇒ Reliable
⇒ Large size systems
⇒ Systematic comparison
⇒ CO, C₂H₂, ...

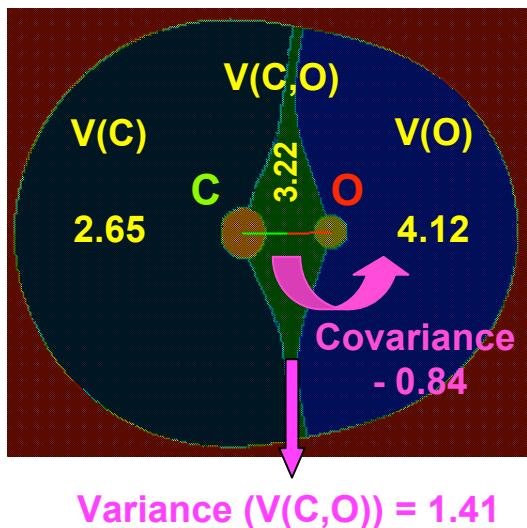
Topological analyses

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AIM



ELF



AIM partition

Atoms in Molecules

- Topological analysis of the electron density ρ
- Atomic basins and atomic charges
 - Bond critical points and sign of $\nabla^2\rho$

R. F. W. Bader *et al.* 1990.

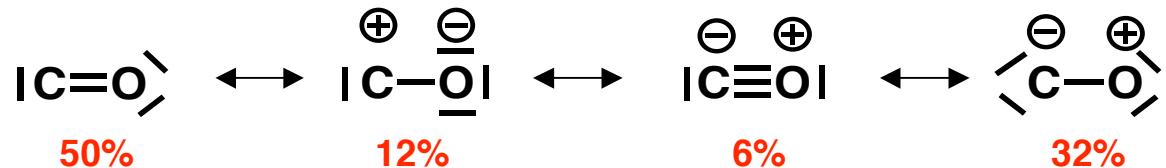
ELF partition

Electron localization function

$$\nabla^2 P_{\text{cond}}^{\sigma\sigma}(\mathbf{r}, \mathbf{r}')|_{\mathbf{r}'=\mathbf{r}}$$

- Valence basins \Leftrightarrow bonds and lone pairs
- Populations and (co)variances of valence basins

\Rightarrow Weights of mesomeric forms

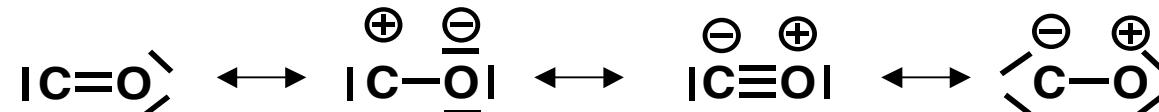


Electronic exchanges between ELF basins : electron delocalization

J. Phys. Chem. A 2003, 107, 4647.

B. Silvi, A. Savin, *Nature* 1994, 371, 683.

Most representative forms of carbon monoxide



| | | | | |
|----------------|------|------|------|---|
| Pauling | 50 % | 10 % | 40 % | - |
|----------------|------|------|------|---|



| | | | | |
|------------|---|---|-------|---|
| NRT | - | - | 100 % | - |
|------------|---|---|-------|---|

| | | | | |
|------------|------|------|-----|------|
| ELF | 50 % | 12 % | 6 % | 32 % |
|------------|------|------|-----|------|

| | | | | |
|------------------|------|-----|------|------|
| ELF + EDF | 28 % | 20% | 15 % | 11 % |
|------------------|------|-----|------|------|

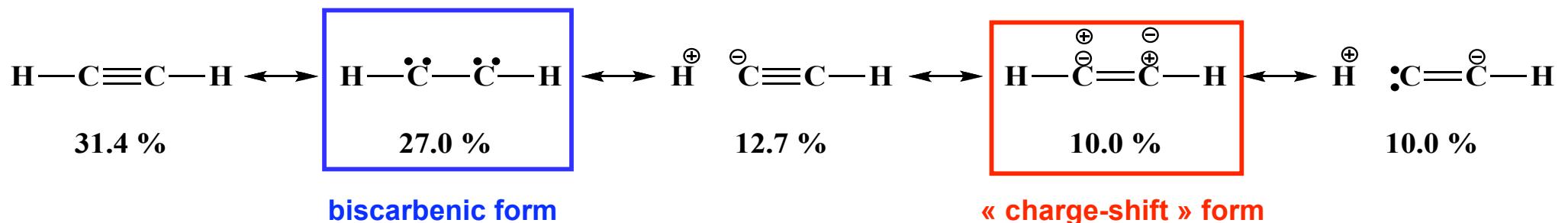
EDF : Electron number Distribution Functions

Collaboration B. Silvi and A. M. Pendas

Most representative forms of acetylene

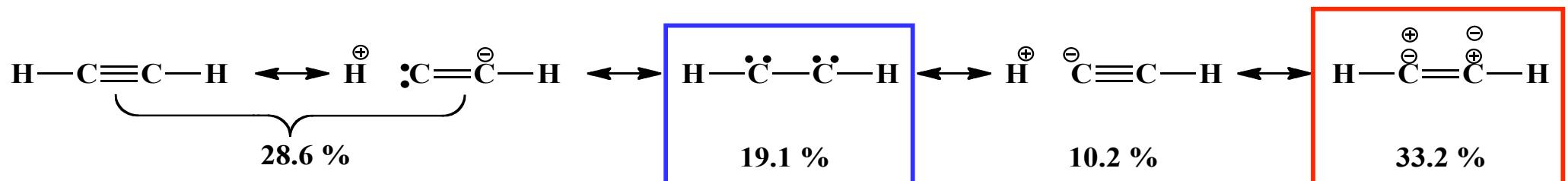
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VB description



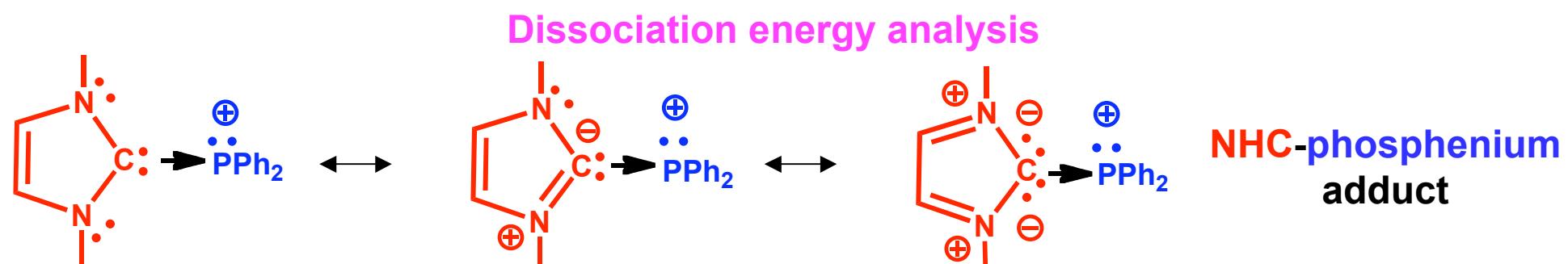
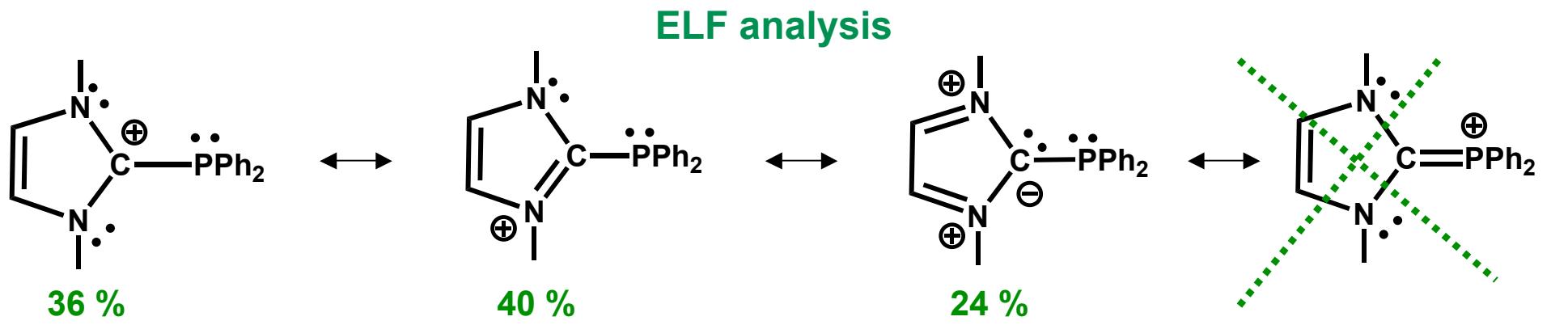
M. Raimondi and M. Simonetta *Mol. Phys.* **1977**, *34*, 745.

« ELF + EDF » description



Collaboration B. Silvi and A. M. Pendas

Amidiniophosphines



$\Delta G_{\text{heterol}} > \Delta G_{\text{homol}}$

| Donor | Acceptor | $\Delta G_{\text{homol}} - \Delta G_{\text{heterol}}$ |
|------------------|-------------------------------|---|
| Ph ⁻ | ⁺ PPh ₂ | -55.3 |
| NHC | ⁺ PPh ₂ | 8.4 |
| H ₃ N | BH ₃ | 106.4 |

$\Delta G_{\text{heterol}} < \Delta G_{\text{homol}}$

ΔG in kcal/mol (PCM-(U)B3PW91/6-31G**) - acétonitrile

covalent C-P bond \Leftarrow Triphenylphosphine

Amidiniophosphine \Rightarrow Dative C-P bond

Conclusions

- ***Three-form three-state model for two-photon absorption***
 - ***Transition densities***
 - ⇒ Essential excited states and corresponding intramolecular charge transfer (ICT)
 - ⇒ Validation of TDDFT calculations of excited states (N. Benamor, S. Hoyau - Toulouse)
 - ⇒ Estimation of σ_{TPA} from the weights of the mesomeric forms related to the ICT
- ***Comparison and significance of the weights obtained from various methods***
- ***Design of a weighting method suitable for large size chromophores***

Acknowledgments

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Houria Hamdani

Mickael Gicquel



Collaborations

Pascal Lacroix : LCC -Toulouse

Jean-Louis Heully, Nadia Ben Amor,

Sophie Hoyau : LCPQ - Toulouse

Bernard Silvi : LCT - Paris VI

Angel Martin Pendas : Oviedo

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